

Seasonality and the evolutionary divergence of plant parasites

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Niche theory and speciation workshop
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Biotrophic plant parasites

- ▶ **feed, grow and reproduce on their living host plant**
- ▶ **cause massive damage to staple food crops**



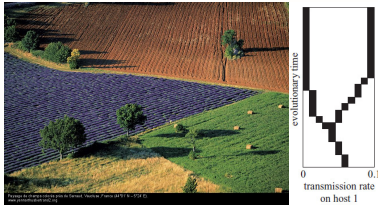
Potato late blight caused the “great famine” in Ireland (1845-1852)

- ▶ **ubiquitous coexistence of related plant parasite species¹**

¹Brasier (1987)

Which ecological bases for evolutionary diversification?

- ▶ Resource heterogeneity can promote evolutionary divergence²



- ▶ Can seasonality promote evolutionary divergence as well?

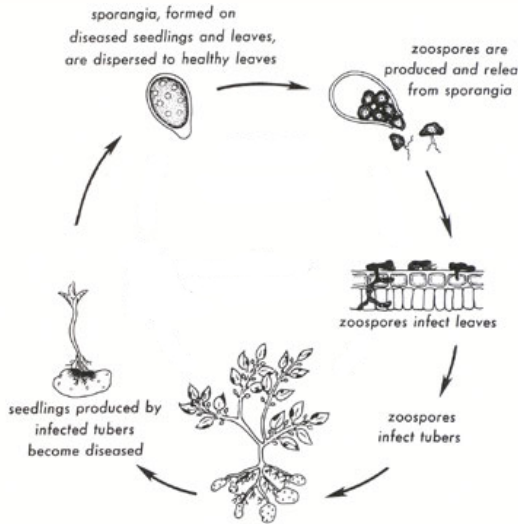


²Gudelj *et al.* (2004)

Biotrophic parasites life cycle. *P. infestans* example:

During early spring

- ▶ **Primary infections:**
seedlings infection by
**inoculum from previous
seasons**

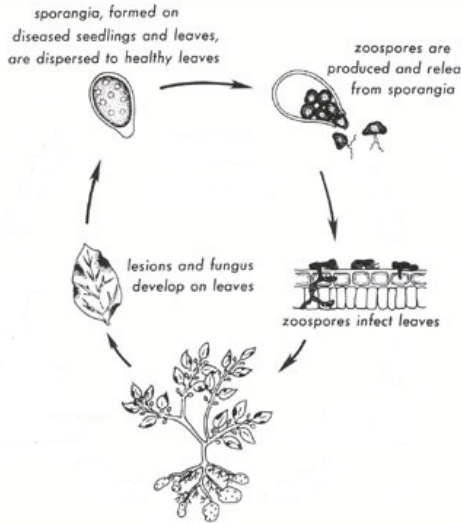


Biotrophic parasites life cycle. *P. infestans* example:

During the **season**

- ▶ **Secondary infections:**
host-to-host infections
through **inoculum from
the current season**

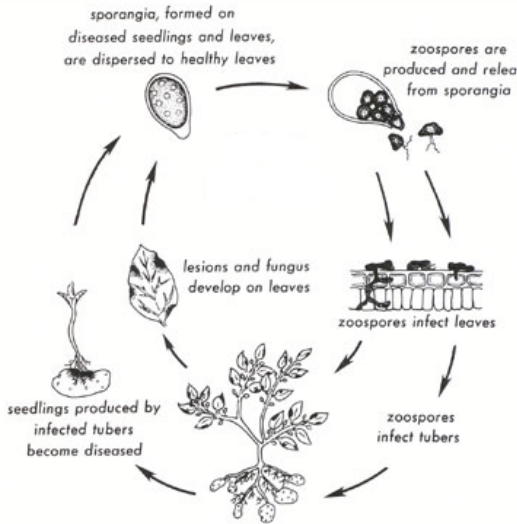
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Biotrophic parasites life cycle. *P. infestans* example:

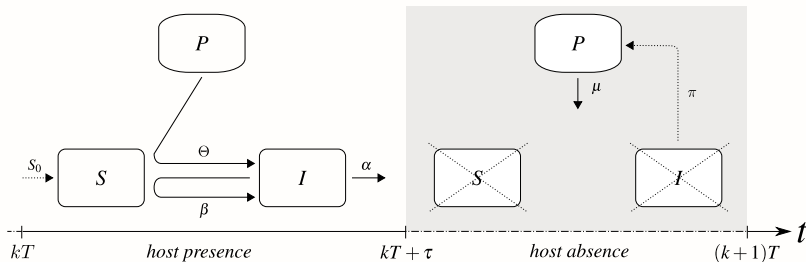
Two complementary transmission routes:

- ▶ **between** season
- ▶ **within** season



Full model

- ▶ Two **time windows**:



This is a 3-dimensional nonlinear continuous \times discrete model.

- ▶ Assuming **fast** primary infections yields a 2-d compact form³

³Mailleret *et al.*, *Theor. Ecol.* (2011)

Compact model

- ▶ Within season **continuous** part:

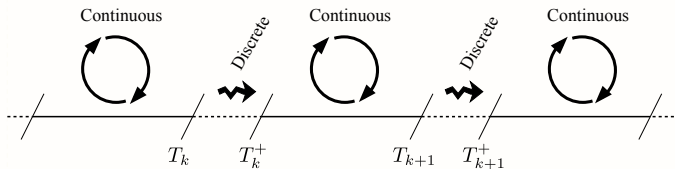
$$\dot{S} = -\sum_i \beta_i S I_i, \quad \text{Susceptible/healthy hosts}$$

$$\dot{I}_i = \beta_i S I_i - \alpha I_i. \quad \text{Infected/infectious hosts, } r \text{ or } m$$

- ▶ Between season **discrete** part:

$$\begin{aligned} S(T_k^+) &= S_0 \exp(-\sum_i F_i(T_k)), \\ I_i(T_k^+) &= S_0 [1 - \exp(-\sum_i F_i(T_k))] \times \frac{F_i(T_k)}{\sum_i F_i(T_k)}, \end{aligned} \quad (1)$$

with $F_i(T_k) \propto I_i(T_k) \exp(-\mu_i(T - \tau))$.



Compact model

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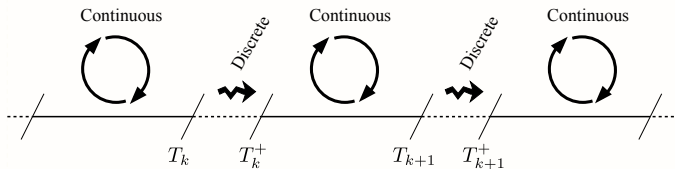
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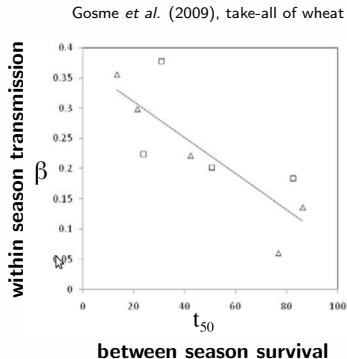
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Evolutionary trade-off

- ▶ Biological evidence⁴ of a **negative relationship** between



- ▶ To **capture** this, let $\mu_i = f(\beta_i)$, with $f' > 0$.

⁴Abang *et al.* (2006), Carson (1998).

Adaptive Dynamics

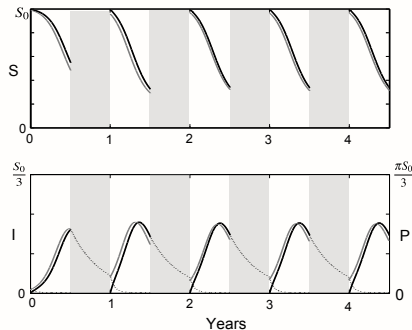
A framework to address phenotypic **evolution**

- ▶ consider a **resident** population at ecological “equilibrium,”
- ▶ **challenge** it with a small **mutant** sub-population

Assuming the resident is at a T -periodic equilibrium $(S_r^\circ(\cdot), I_r^\circ(\cdot))$,

let

$$\bar{S}_r = \frac{1}{T} \int_0^T S_r^\circ(t) dt.$$



Adaptive Dynamics

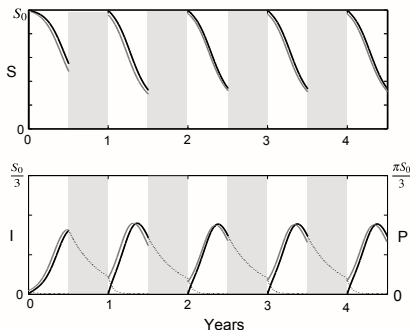
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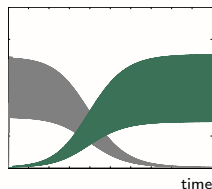
Invasion fitness

The mutant invasion criterion reads:

$$s(\beta_r, \beta_m) = (\beta_m - \beta_r) \bar{S}^\circ(\beta_r) \tau - [f(\beta_m) - f(\beta_r)](T - \tau)$$

- ▶ *i.e.* the **mutant** can invade provided

$$s(\beta_r, \beta_m) > 0.$$



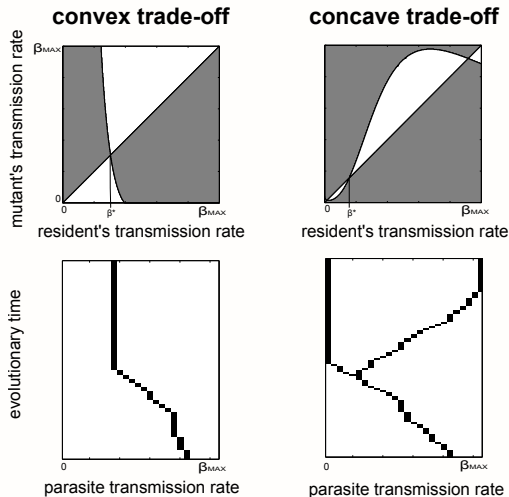
We are interested in **singular traits** β^* s.t.

$$D_2 s(\beta^*, \beta^*) = 0.$$

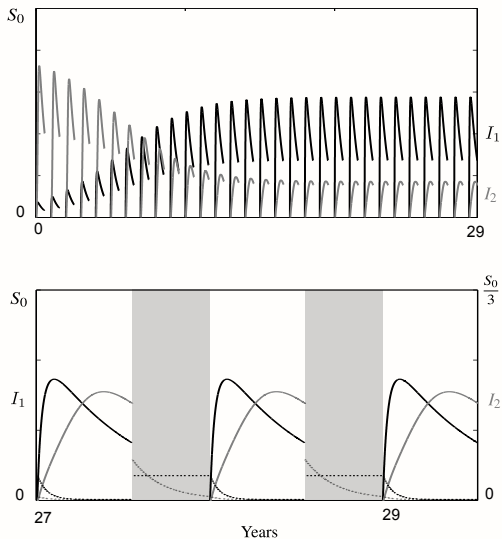
One necessary condition for a branching point to occur reads

$$D_{22} s(\beta^*, \beta^*) = -f''(\beta^*)(T - \tau) > 0.$$

Pairwise Invasibility Plots and evolutionary dynamics



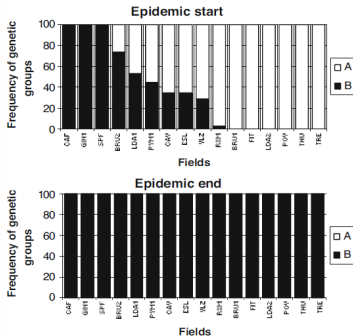
Ecological dynamics at the dimorphic evolutionary endpoint



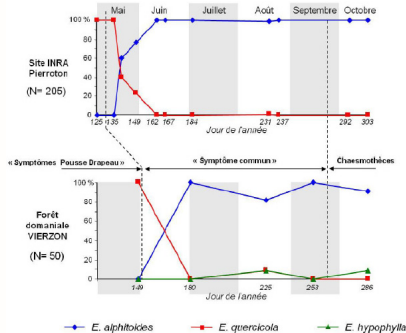
Evolution can promote temporal niche differentiation

► Biological evidence in several cryptic species complexes

Montarry *et al.* (2007), grapevine powdery mildew



Feau *et al.* (2011), oak powdery mildew



► Can reproductive isolation arise from time partitioning?

Thank you for your attention



References:

- ▶ Mailleret L, Castel M, Montarry J, Hamelin FM. From elaborate to compact seasonal plant epidemic models and back: is competitive exclusion in the details? *Theoretical Ecology*, In Press.
- ▶ Hamelin FM, Castel M, Poggi S, Andrivon D, Mailleret L. Seasonality and the evolutionary divergence of plant parasites. *Ecology*, in press.